## Winter

The prosperous kingdom of Ragden consists of $N$ cities (numbered from 1 to $N$ ) connected by $N-1$ roads. The $i$-th road connects city $a_{i}$ to city $b_{i}$ in both directions. There is exactly one sequence of roads connecting each pair of cities in the kingdom.

The $i$-th city has a profit value of $p_{i}$. A city can have $p_{i}<0$, indicating that it loses money for the kingdom.

The resident weathermancers predict a frigid and chilling winter to come. You've been tasked with choosing zero or more cities to remove, along with any roads connected to those cities, so that:

- At least one city remains,
- There is exactly one sequence of roads connecting each pair of remaining cities, and
- The total sum of profit values of the remaining cities is maximised.

After removing cities according to the above constraints, what is the maximum total profit the kingdom can generate?

## Subtasks and Constraints

For all subtasks, you are guaranteed that:

- $2 \leq N \leq 100000$.
- $-100000 \leq p_{i} \leq 100000$ for all $i$.
- $1 \leq a_{i}, b_{i} \leq N$ for all $i$.
- There is exactly one sequence of roads connecting each pair of cities.

Additional constraints for each subtask are given below.

| Subtask | Points | Additional constraints |
| :---: | :---: | :--- |
| 1 | 20 | $a_{i}=i$ and $b_{i}=i+1$, for all $i$. That is, the cities form a line. |
| 2 | 20 | $p_{i}$ is 1 or -100000 for all $i$. |
| 3 | 35 | There is always an optimal answer where city 1 remains. |
| 4 | 25 | No additional constraints. |

## Input

- The first line of input contains the integer $N$.
- The second line contains $N$ integers $p_{1}, p_{2}, \ldots, p_{N}$.
- The following $N-1$ lines describe the roads. The $i$-th line contains the two integers $a_{i}$ and $b_{i}$.


## Output

Output a single integer: the maximum total sum of profit values possible.
Note: Your solution may involve integers which are large. Consider using 64-bit integers ('long long' in C ++ ) in your solution.

## Sample Input 1 <br> 10 <br> $\begin{array}{llllllllll}-3 & 5 & -4 & 2 & 4 & -10 & 2 & 0 & -1 & 7\end{array}$ <br> 19 <br> 41 <br> 67 <br> 56 <br> 610 <br> 109 <br> 98 <br> 21 <br> 31

Sample Output 1
10

## Sample Input 2

6
$\begin{array}{llllll}-5 & 2 & -1 & 6 & -7 & 4\end{array}$
12
23
34
45
56

## Sample Input 3

9

## Sample Output 3

$-10000011111-1000001-1000001$
12
26
56
46
69
97
98
93

## Sample Input 4

3
$-3-5-6$
$-3$
12
23

## Explanation

The sample cases are illustrated below. The remaining cities are shaded orange.


Figure 1: Sample Input 1


Figure 2: Sample Input 2


Figure 3: Sample Input 3


Figure 4: Sample Input 4

