## Speed Friending

Congratulations on being hired as a tutor at December camp! The students have just arrived and your first job is to run icebreaker activities.

There are $N$ students standing in a line, and you have just numbered them 1 to $N$ from left to right. Additionally, each student has told you their distinct personality value $p_{i}$. From the tutor briefing, you know that students with closer personality values become friends faster.

This year, the students will perform speed-friending scenarios. Each speed-friending scenario is started by a student $s$. Initially, student $s$ is not friends with any other students. Then, student $s$ will become friends with the other students one at a time as follows:

- If student $s$ has no student to their left, then they befriend the closest student to their right.
- If student $s$ has no student to their right, then they befriend the closest student to their left.
- Otherwise, let $l$ be the closest student to their left, and $r$ be the closest student to their right. Student $s$ will befriend the student that has the closer personality value to their own. In particular:
- If $\left|p_{s}-p_{l}\right|<\left|p_{s}-p_{r}\right|^{1}$, then they befriend student $l$.
- If $\left|p_{s}-p_{l}\right|>\left|p_{s}-p_{r}\right|$, then they befriend student $r$.
- Otherwise, if $\left|p_{s}-p_{l}\right|=\left|p_{s}-p_{r}\right|$, then student $s$ can pick either $l$ or $r$ to befriend.

After student $s$ befriends another student, that student leaves the line and the process repeats. This continues until student $s$ has befriended everyone. The final friend is the student who was befriended last. Note that the final friend may depend on the choices made by student $s$.

Consider the following example with $N=4$ students and $s=3$.


Student 3 considers $l=2$ and $r=4$. Since $\left|p_{s}-p_{l}\right|=|4-5|=1$ and $\left|p_{s}-p_{r}\right|=|4-2|=2$, student 3 befriends $l$ (student 2) first.


Now, $l=1$ and $r=4$. Since $\left|p_{s}-p_{l}\right|=|4-7|=3$ and $\left|p_{s}-p_{r}\right|=|4-2|=2$, student 3 befriends $r$ (student 4) next.


Student 3 has no student to their right, and so they befriend student 1 . Student 1 is the final friend. This concludes the example.

[^0]You must support $Q$ operations, numbered from 1 to $Q$. Each operation has a value $t_{i}$, which is either 1 or 2 :

- If $t_{i}=1$, then you are additionally given a value $s_{i}$. You will run a speed-friending scenario starting at student $s_{i}$. Output the index of the final friend, or -1 if there are multiple possibilities for the final friend.
- If $t_{i}=2$, then you are additionally given two values $s_{i}$ and $x_{i}$. This means that the personality value of student $s_{i}$ has changed to $x_{i}$.
After each speed-friending scenario, every student returns to their original position in the line and forgets their past friendships.


## Subtasks and Constraints

For all subtasks:

- $2 \leq N \leq 200000$.
- $1 \leq Q \leq 200000$.
- $0 \leq p_{i} \leq 1000000000$ for all $i$.
- $t_{i}=1$ or $t_{i}=2$ for all $i$.
- $1 \leq s_{i} \leq N$ for all $i$.
- $0 \leq x_{i} \leq 1000000000$ for all $i$.
- Initially, and after each operation, the students have distinct personality values. In particular, $p_{i} \neq p_{j}$ for all $i \neq j$.

Additional constraints for each subtask are given below.

| Subtask | Points | Additional constraints |
| :---: | :---: | :--- |
| 1 | 20 | $Q=1, t_{1}=1$, and $p_{s_{1}}=0$. |
| 2 | 15 | $Q=1$ and $t_{1}=1$. |
| 3 | 35 | $t_{i}=1$ for all $i$. |
| 4 | 30 | No additional constraints. |

## Input

- The first line of input contains the integer $N$.
- The second line of input contains $N$ integers describing the initial personality values of the students. They are $p_{1}, p_{2}, \ldots, p_{N}$.
- The third line of input contains the integer $Q$.
- The next $Q$ lines of input describe the operations. The $i$ th line depends on the value of $t_{i}$ :
- If $t_{i}=1$, then the line contains the two integers $t_{i}$ and $s_{i}$
- If $t_{i}=2$, then the line contains the three integers $t_{i}, s_{i}$, and $x_{i}$.


## Output

Output one line for each operation with $t_{i}=1$. This line should contain a single integer: the index of the final friend, or -1 if there are multiple possibilities for the final friend.

| 3 |  | -1 |  |
| :--- | :--- | :--- | :--- |
| 1 | 3 | 5 | 1 |
| 5 |  | 3 |  |
| 1 | 2 |  |  |
| 2 | 3 | 4 |  |
| 1 | 2 |  |  |
| 2 | 3 | 6 |  |
| 1 | 2 |  |  |

## Sample Input 1

4
7542
1
13

## Sample Input 2

Sample Output 1
1

## Sample Output 2

-1
1
3

12
234
12

12

## Explanation

The first sample case corresponds to the example on the first page.
The second sample case has $Q=5$ operations:

- The first operation has $t_{1}=1$ and $s_{1}=2$. Since $\left|p_{s}-p_{l}\right|=\left|p_{s}-p_{r}\right|=2$, student 2 can choose to befriend either student 1 or student 3 . The final friend depends on this choice, and so the answer is -1 .
- The second operation has $t_{2}=2, s_{2}=3$, and $x_{2}=4$. This sets $p_{3}=4$.
- The third operation has $t_{3}=1$ and $s_{3}=2$. Since $\left|p_{s}-p_{l}\right|=2$ and $\left|p_{s}-p_{r}\right|=1$, student 2 will initially befriend student $r=3$. Therefore, student 1 is the final friend.
- The fourth operation has $t_{4}=2, s_{4}=3$, and $x_{4}=6$. This sets $p_{3}=6$.
- The fifth operation has $t_{5}=1$ and $s_{5}=2$. Since $\left|p_{s}-p_{l}\right|=2$ and $\left|p_{s}-p_{r}\right|=3$, student 2 will initially befriend student $l=1$. Therefore, student 3 is the final friend.


[^0]:    ${ }^{1}$ The notation $|x|$ denotes the absolute value of $x$. The absolute value of a number is equivalent to its distance from 0 . For example, $|2|=|-2|=2$.

