## Jealousy II

After a successful year, your business is relocating to a larger office. Your business has $N$ employees (numbered from 1 to $N$ ), and the new office has $M$ desks (numbered from 1 to $M$ ), where $M \geq N$.

Each employee will be assigned their own desk and, to maintain company morale, you want this assignment to be jealousy-free. Each employee has assigned an integer value to each desk: employee $i$ values desk $j$ with value $v_{i, j}$. An assignment of desks is considered jealousy-free if every employee believes that their desk is strictly better than every other employee's desk. More formally:

- Each employee $i$ will be assigned a distinct desk $a_{i}$.
- For each pair of different employees $i$ and $j$, it must hold that $v_{i, a_{i}}>v_{i, a_{j}}$. Note that employee $i$ only considers their own values. Specifically, employee $i$ is not concerned with how employee $j$ values their assigned desk.

If $M>N$, then some desks will be unassigned. These desks do not cause any jealousy.
You must find a jealousy-free assignment, or determine that no such assignment exists.

## Subtasks and Constraints

For all subtasks:

- $2 \leq N \leq 1500$.
- $N \leq M \leq 2500$.
- $0 \leq v_{i, j} \leq 10000000$ for all $i$ and $j$.

Additional constraints for each subtask are given below.

| Subtask Points |  | Additional constraints |
| :---: | :---: | :---: |
| 1 | 5 | $N=2$. |
| 2 | 15 | $N=M$ and all $v$-values are distinct. That is, $v_{i, j} \neq v_{i^{\prime}, j^{\prime}}$ unless $i=i^{\prime}$ and $j=j^{\prime}$. |
| 3 | 15 | $v_{i, j} \leq 1$ for all $i$ and $j$. |
| 4 | 30 | $N, M \leq 200$ and all $v$-values are distinct. That is, $v_{i, j} \neq v_{i^{\prime}, j^{\prime}}$ unless $i=i^{\prime}$ and $j=j^{\prime}$. |
| 5 | 20 | All $v$-values are distinct. That is, $v_{i, j} \neq v_{i^{\prime}, j^{\prime}}$ unless $i=i^{\prime}$ and $j=j^{\prime}$. |
| 6 | 15 | No additional constraints. |

## Input

- The first line of input contains the two integers $N$ and $M$.
- The next $N$ lines contains $M$ integers. The $j$ th integer on the $i$ th line is $v_{i, j}$.


## Note on Input

This problem has a large amount of input. To speed up input, those using cin in C ++ are encouraged to include the following line at the beginning of their main function:

```
ios_base::sync_with_stdio(false);
```

If you are using scanf for some or all of the input, you should not include this line.

## Output

The first line of output should be either POSSIBLE or IMPOSSIBLE, depending on whether a jealousyfree assignment exists. If your answer is POSSIBLE, then the next $N$ lines should describe an assignment. In particular, the $i$ th such line should contain the single integer $a_{i}$ : the desk assigned to employee $i$. If there are multiple possible jealousy-free assignments, then you may output any of them.

## Sample Input 1

| 2 | 3 |  |
| :--- | :--- | :--- |
| 4 | 3 | 2 |
| 5 | 1 | 5 |

Sample Input 2
22
01
11

## Sample Output 1

POSSIBLE
2
3

## Sample Output 2

IMPOSSIBLE

## Explanation

In Sample Input 1, the only jealousy-free assignment has $a_{1}=2$ and $a_{2}=3$. In particular:

- Employee 1 believes that their desk is strictly better than employee 2 's desk, since $v_{1, a_{1}}=3$ and $v_{1, a_{2}}=2$.
- Employee 2 believes that their desk is strictly better than employee 1's desk, since $v_{2, a_{2}}=5$ and $v_{2, a_{1}}=1$.
In Sample Input 2, there is no jealousy-free assignment. In particular:
- If $a_{1}=1$ and $a_{2}=2$, then $v_{1, a_{1}}<v_{1, a_{2}}$ and so this assignment is not jealousy-free.
- If $a_{1}=2$ and $a_{2}=1$, then $v_{2, a_{2}}=v_{2, a_{1}}$ and so this assignment is not jealousy-free.

Since there are no other possible assignments, the correct output is IMPOSSIBLE.

