## Friendly

## Input File: standard input <br> Output File: standard output

## Time and Memory Limits: 1 second, 64 MB

I'm like, sooo friendly. But you already knew that. So friendly that it's actually my 43rd time at the Academy of Inclusivity and Open Communication's Summer of Empathy: the annual workshop for the nation's brightest young social engineers! Everyone loves me here; it's F-A-B. As the event draws to a close each of my fellow students knows they must be polite and trade gifts with me!

The gift trading process works as follows. First, I will acquire one of $K$ different types of gifts (numbered from 1 to $K$ ). This will be called my starting gift. Then each of my $N$ peers in order from 1 to $N$ will come up to me and offer a trade: peer $i$ will ask for a gift of type $A_{i}$ and in exchange is willing to give me a gift of type $B_{i}$ plus $C_{i}$ chocolates (they found out my weakness during A Session). My response will be one of the following:

- If I don't have a gift of type $A_{i}$, I must reject the offer.
- If I have a gift of type $A_{i}$, I can choose to accept the offer. This involves surrendering my current gift and receiving a new gift of type $B_{i}$. Additionally, they will give me $C_{i}$ delicious chocolates, which I will eat.
Alternately, I can reject their offer, keeping my current gift.
Note that once I have made a decision to either accept or reject an offer I will never be able to consider it again (lest I gain a reputation for being fickle and indecisive).

This afternoon I'll be heading down to the local AGI to choose my starting gift. Could you help me write a program that will tell me the maximum number of chocolates that I can possibly eat and the number of different types of starting gifts that I could choose that will allow me to achieve this maximum? Thanks so much, we can totes be BFFs after this.

## Input

The first line of input will consist of two space separated integers " $N K$ ", representing the number of my fellow students and the number of types of gifts. $N$ lines follow with the $i$ th of these lines consisting of three space separated integers " $A_{i} B_{i} C_{i}$ " representing the gift exchange offer that peer $i$ will make to me.

## Output

You should output two lines, each containing an integer: the maximum number of chocolates I can eat and the number of different types of starting gifts I could choose that will allow me to achieve this maximum.


## Explanation




In this example I have $N=5$ peers and there are $K=8$ types of gifts.
Suppose I chose a starting gift of type 1. I would reject peer 1's offer (they require a gift of type 2) then trade with peer 2 for a gift of type 2 and 4 chocolates. Note that I cannot then go back to peer 1 and trade with them since I had already made a decision on their offer earlier. I could then reject the offer of peer 3 and trade with peer 4 to obtain a gift of type 5 and 6 chocolates. I must then reject peer 5 's offer so I have eaten $4+6=10$ chocolates in total.

Alternatively, if I chose a starting gift of type 4 then I would have to reject the offers of peers 1 and 2. I could then trade with peer 3 for a gift of type 5 and 10 chocolates. I must then reject the offers of peers 4 and 5 . This means I would also have eaten a total of 10 chocolates overall.

It can be seen that in this scenario it is impossible for me to eat any more than 10 chocolates this is the maximum number I can eat. I can do this by initially choosing one of 2 different types of starting gifts (type 1 or type 4 ).

## Subtasks \& Constraints

For all subtasks, $1 \leq N \leq 100000$ and $1 \leq K \leq 100000$. All $A_{i}$ and $B_{i}$ satisfy $1 \leq A_{i}, B_{i} \leq K$ and $A_{i} \neq B_{i}$. All $C_{i}$ satisfy $1 \leq C_{i} \leq 10000$.

- For Subtask 1 (50 points), $N \leq 1000$ and $K \leq 1000$.
- For Subtask 2 (50 points), no further constraints apply.


## Scoring

You should always output two integers. Your score for each test case will be $100 \%$ if both integers are correct, $70 \%$ if only the first is correct, $30 \%$ if only the second is correct, and $0 \%$ if neither is correct.

